# Package 'areabiplot' 

October 12, 2022
Title Area Biplot
Version 1.0.0
Description Considering an ( $\mathrm{n} \times \mathrm{m}$ ) data matrix X , this package is based on the method proposed by Gower, Groener, and Velden (2010) [doi:10.1198/jcgs.2010.07134](doi:10.1198/jcgs.2010.07134), and utilize the resulting matrices from the extended version of the NIPALS decomposition to determine $n$ triangles whose areas are used to visually estimate the elements of a specific column of X. After a 90-degree rotation of the sample points, the triangles are drawn regarding the following points: 1.the origin of the axes; 2.the sample points; 3. the vector endpoint representing some variable.

License MIT + file LICENSE
Encoding UTF-8
LazyData true
RoxygenNote 7.1.1
Suggests testhat
Imports grDevices, graphics, nipals
NeedsCompilation no
Author Alberto Silva [aut, cre] ([https://orcid.org/0000-0002-3496-6802](https://orcid.org/0000-0002-3496-6802)), Adelaide Freitas [aut] ([https://orcid.org/0000-0002-4685-1615](https://orcid.org/0000-0002-4685-1615))
Maintainer Alberto Silva [albertos@ua.pt](mailto:albertos@ua.pt)
Repository CRAN
Date/Publication 2021-03-10 19:00:02 UTC

## $R$ topics documented:

$\qquad$
Index

## Description

Consider an ( $\mathrm{nx} m$ ) centered data matrix $X$ and let $\operatorname{rank}(X)=r$. Alternatively to the ordinary NIPALS decomposition of $X$, where $X=T P^{\prime}$, this package uses the resulting matrices from the extended version of the NIPALS decomposition $\left(X=G H P^{\prime}\right)$ to determine $n$ triangles whose areas are used to visually estimate the $n$ elements of a specific column of $X$ (a variable of interest). After a 90-degree rotation of the sample points, the triangles are drawn regarding the following points:

1. the origin of the axes.
2. the sample points.
3. the vector endpoint representing the selected variable.

Just keep in mind that The extended NIPALS decomposition, $X=G H P^{\prime}$, is equivalent to the SVD decomposition, $X=U D V^{\prime}$, being that:

1. $G$ is the matrix containing in its columns the normalized score vectors of $X$, i.e., the normalized columns of $T$. If $t$ is the i-th score vector of the matrix $T$, then the i-th column of $G$ will be $g=t /\|t\|$, which will correspond to the i-th left singular vector $u$.
2. If $t$ is the i-th column of $T$, then $\left.\|t\|=\sqrt{( } t^{\prime} t\right)$ gives the i-th singular value of $X$. In addition, $H$ is the diagonal matrix containing these singular values in decreasing order, i.e., $H=D$.
3. $P$ is the loadings matrix, which is equivalent to the $V$ matrix that contains the right singular vectors of $X$.

## Usage

```
areabiplot(
    L,
    S,
    R,
    ord.row,
    mode = NULL,
    tri.rgb = NULL,
    bg.col = NULL,
    plot.title = NULL,
    plot.title.col = NULL,
    plot.title.font = NULL,
    plot.title.cex = NULL,
    plot.sub = NULL,
    plot.sub.col = NULL,
    plot.sub.font = NULL,
    plot.sub.cex = NULL,
    plot.cex = NULL,
    plot.col = NULL,
```

```
    plot.pch = NULL,
    plot.xlab = NULL,
    plot.ylab = NULL,
    plot.xlim = NULL,
    plot.ylim = NULL,
    points.lab = NULL,
    var.lab = NULL,
    text.col.var = NULL,
    text.cex = NULL,
    text.font = NULL,
    text.col = NULL,
    text.pos = NULL,
    axis.col = NULL,
    axis.cex = NULL,
    axis.font = NULL,
    axis.asp = NULL,
    arrow.lwd = NULL,
    arrow.len = NULL,
    arrow.col = NULL
)
```


## Arguments

$\mathrm{L} \quad \mathrm{A}(\mathrm{n} \times 2)$ matrix containing normalized score vectors $g$ (or left singular vectors $u$ ).

S An appropriate ( $2 \times 2$ ) diagonal matrix containing the corresponding singular values in decreasing order.
$\mathrm{R} \quad \mathrm{A}(\mathrm{mx} 2)$ matrix containing the corresponding loading vectors (or right singular vectors).
ord.row The row of $R$ used as the base of the triangle, e.g., if 1 is provided, then the first row of $R$ will be taken.
mode a string providing the way the singular values will be allocated. The default is "SS", i.e., the similar spread proposed by Gower et al.. Alternatively, one can choose the "HJ" method (see more in Details).
tri.rgb The hexadecimal color and alpha transparency code for the triangle. The default is \#19FF811A (green and $90 \%$ of transparency).
bg.col A string providing the color of the background. The default is \#001F3D (blue).
plot.title A string providing the main title. The default is NONE.
plot.title.col A string specifying the color of the main title text. The default is "FFFFFF" (white).
plot.title.font
An integer providing the style of the main title text. The default is 1 (normal text).
plot.title.cex A number indicating the amount by which the main title text should be scaled relative to the default. $1=$ default, 1.5 is $50 \%$ larger, and so on.
plot. sub A string providing a sub-title. The default is NONE.
\(\left.$$
\begin{array}{ll}\text { plot.sub.col } & \begin{array}{l}\text { A string specifying the color of the sub-title text. The default is "FFFFFF" } \\
\text { (white). }\end{array} \\
\text { plot.sub.font } & \begin{array}{l}\text { An integer providing the style of the main title text. The default is } 1 \text { (normal } \\
\text { text). }\end{array}
$$ <br>
plot.sub.cex \& A number indicating the amount by which the sun-title text should be scaled <br>

relative to the default. 1=default, 1.5 is 50 \% larger, and so on.\end{array}\right]\)| A number indicating the expansion or contraction factor used to specify the point |
| :--- | :--- |
| size. The default is 0.6 (40\% smaller). |

## Details

1. If the variables (the columns of X ) are measured in different units or their variability differs considerably, one could perform a variance scaling to get better visual results on the graph (see Examples). In this case, the percentage of variance explained by the first principal components might decrease.
2. The "HJ" mode is reserved for an application under implementation.

## Value

An area biplot is produced on the current graphics device.

## Author(s)

Alberto Silva albertos@ua.pt, Adelaide Freitas adelaide@ua.pt

## References

J.C. Gower, P.J.F. Groenen, M. van de Velden (2010). Area Biplots. Journal of Computational and Graphical Statistics, v. 19 (1), pp. 46-61. doi: 10.1198/jcgs.2010.07134

## Examples

```
library(nipals)
data(uscrime)
Y = uscrime[, -1]
# first case: scale is false
nip = nipals(Y, ncomp = 2, center = TRUE, scale = FALSE, force.na = TRUE)
L = nip$scores
R = nip$loadings
S = diag(nip$eig[1:2])
areabiplot(L, S, R, 5, points.lab = c(uscrime[, 1]),var.lab= "burglary")
# second case: scale is true
nip = nipals(Y, ncomp = 2, center = TRUE, scale = TRUE, force.na = TRUE)
L = nip$scores
R = nip$loadings
S = diag(nip$eig[1:2])
areabiplot(L, S, R, 4, points.lab = c(uscrime[, 1]),var.lab= "assault")
```


## Index

areabiplot, 2

